

Dineutron-dineutron correlation in ^8He

Kosei Nakagawa, Yoshiko Kanada-En'yo (Kyoto Univ.)

Purpose of this study

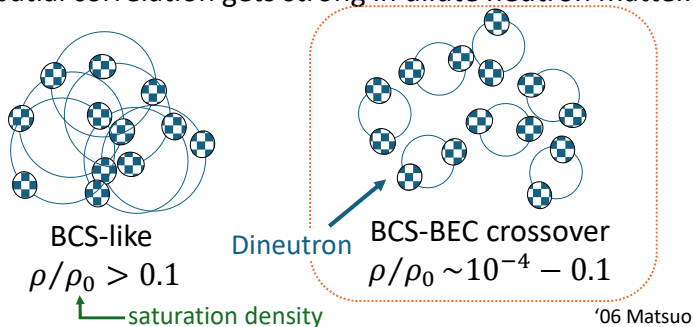
- to reveal the spatial correlations of dineutrons in detail especially in $^8\text{He}(0_2^+)$, where the cluster structure is expected to develop as suggested by the recent experiment

Summary of Results

- Dominant contribution of 3-body cluster structure both in $0_1^+, 0_2^+$
- The developed cluster structure in 0_2^+ is a mixture of 2- & 3-body cluster configurations.

Introduction

n-n spatial correlation gets strong in dilute neutron matter.



'06 Matsuo

Results

Energy			Radius & ISO strength		
units	This work	Expt.		This work	Expt.
B.E.	<u>29.44</u>	31.60	$R_{rms}(0_1^+)$ (fm)	<u>2.40</u>	2.52
S_{2n}	<u>1.47</u>	2.14	$R_{rms}^p(0_1^+)$ (fm)	<u>1.89</u>	1.788
S_{4n}	<u>1.83</u>	3.12	$R_{rms}(0_2^+)$ (fm)	<u>3.91</u>	
$E_x(0_2^+)$	<u>5.20</u>	6.66(6)	$M(\text{ISO})$ (fm ²)	<u>7.75</u>	$11^{+1.8}_{-2.3}$
$Er(0_2^+)$	<u>3.4</u>	3.54			

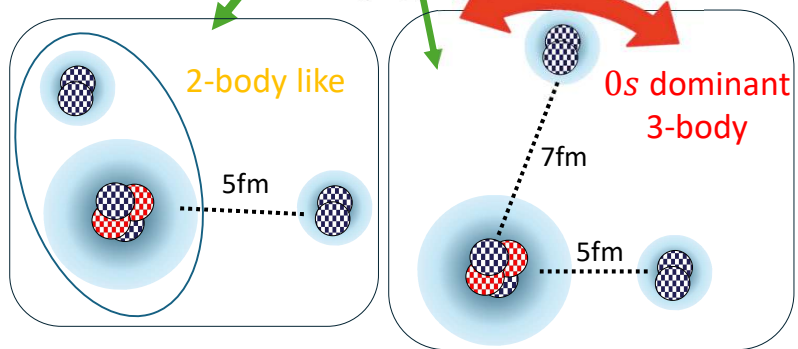
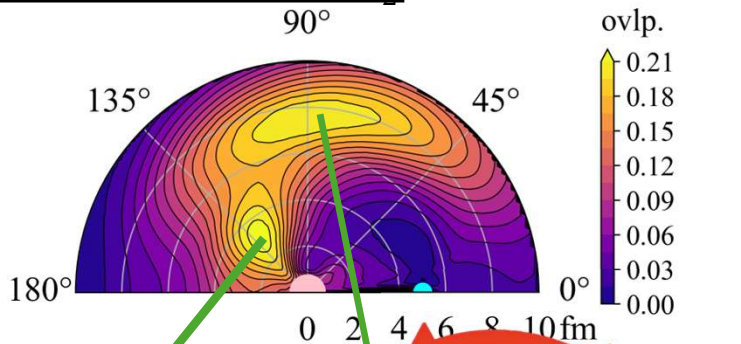
- Hierarchy of B.E. of He isotopes can be reproduced.
- In 0_1^+ , compact structure is seen while in 0_2^+ , spatially developed structure appears.
- Large strength of isoscalar monopole(ISO) transition \rightarrow Cluster structure is enhanced in the 0_2^+ state.

Detailed analysis of each component

- 3-body structure is dominant
- Shell-model like $p_{3/2}$ closure config. is enhanced in 0_1^+ .
- 2-body structure is still subdominant in 0_2^+

	squared overlap	
	0_1^+	0_2^+
$p_{3/2}$	48.7%	8.6%
3-body	84.1%	92.6%
2-body	88.2%	58.3%

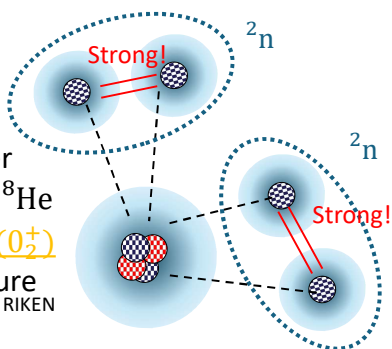
Dineutron distribution in 0_2^+



The mixing of 2- and 3-body cluster configurations

Why ^8He ?

- ^8He : α cluster + $4n$
- \rightarrow dineutron formation on the surface of the α cluster
- Recent experiment about ^8He
 - first observation of $^8\text{He}(0_2^+)$
 - \rightarrow developed cluster structure
 - tetraneutron



'22 Duer et. al. @ RIKEN

Model wave function of ^8He

$\alpha + ^2n + ^2n$ 3-body generator coordinate method
+ dineutron breaking induced by spin-orbit force based on the microscopic cluster model

$\Psi(^8\text{He})$

$$= \int d\vec{X} d\vec{Y} c_{\vec{X},\vec{Y}} \det \left[\begin{array}{c} \alpha \text{ cluster } (0s)^4 \text{ at } \vec{R}_\alpha \\ \text{ } \\ ^2n \text{ cluster } v: (0s)^2 \text{ at } \vec{R}^z_{n,1} \\ \text{ } \\ ^2n \text{ cluster } \vec{R}^z_{n,2} \end{array} \right]$$

$$+ \int d\vec{a} c_{\vec{a}} \det \left[\begin{array}{c} \alpha \text{ cluster } (0p_{3/2})^2 \\ \text{ } \\ ^2n \end{array} \right]$$

$$+ c_1 \det \left[\begin{array}{c} \alpha \text{ cluster } (0p_{3/2} \text{ closure}) \\ \text{ } \\ ^2n \end{array} \right] \rightarrow \text{Dineutron breaking by spin-orbit force}$$