

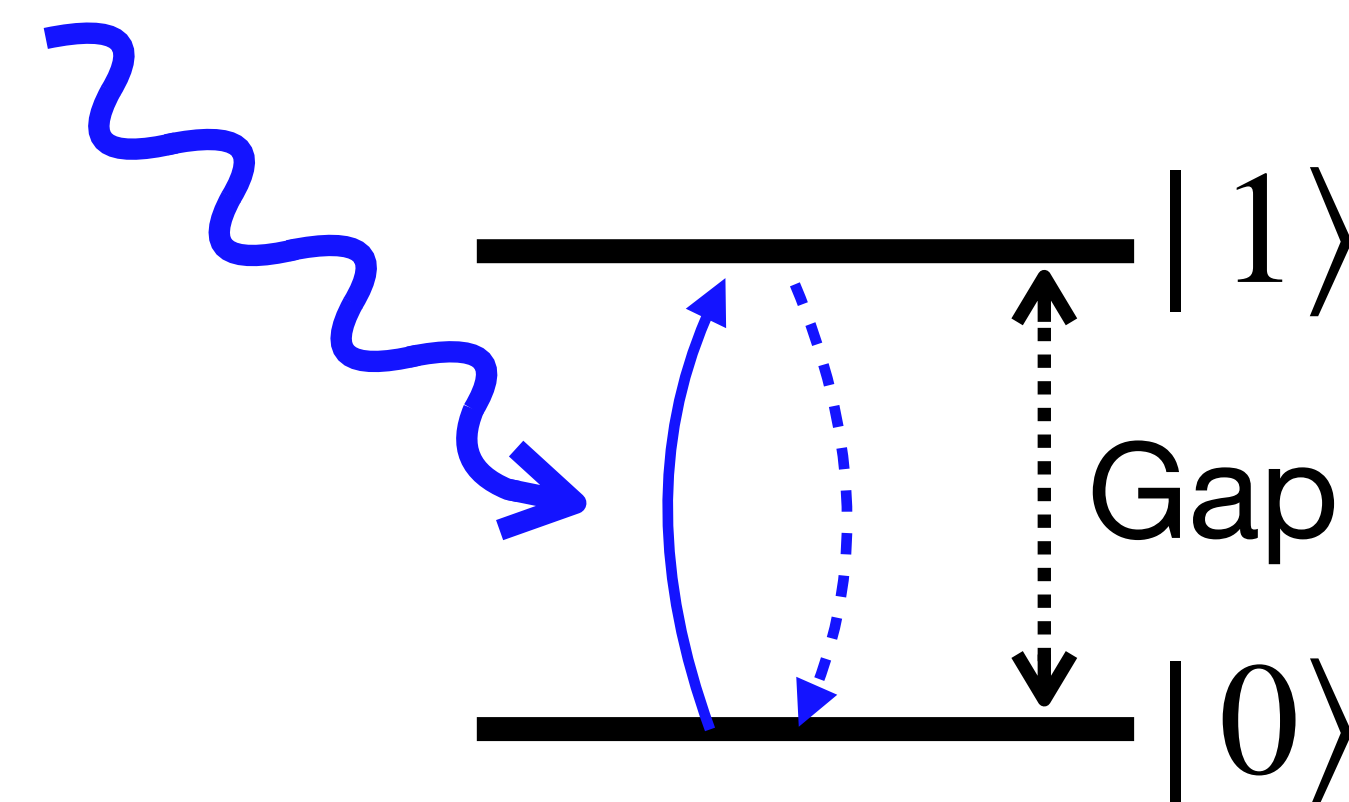
# Quantum circuit for DM enhanced signal detection: DM wind probe

Ongoing work: Hajime Fukuda (UTokyo), Yuichiro Matsuzaki (Chuo U), TS

Thanaporn Sichanugrist, UTokyo, The Frontier of Particle Physics 2025

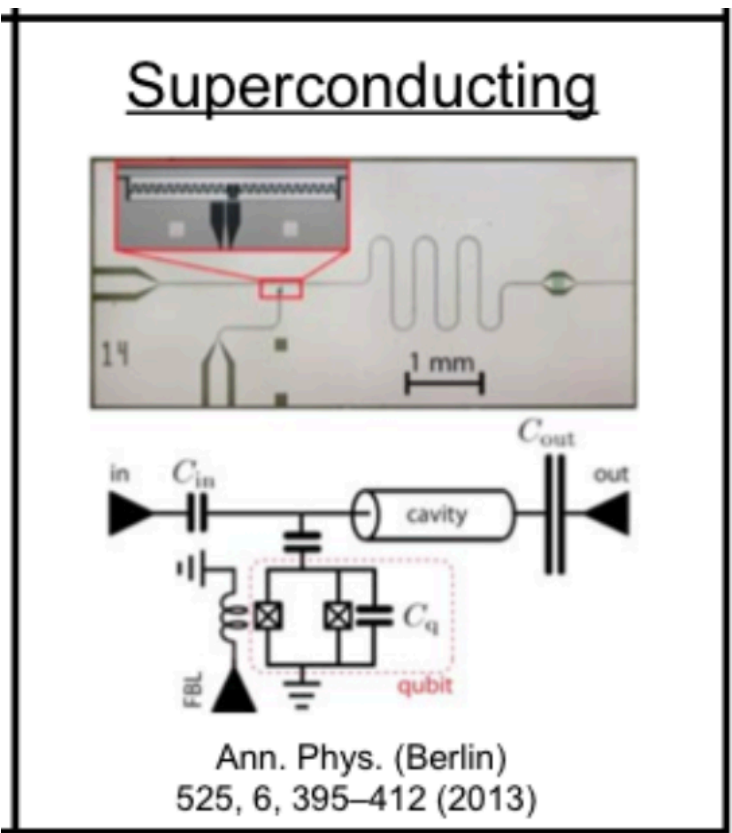
# Qubit can be good DM quantum sensor

## Wave-like dark matter



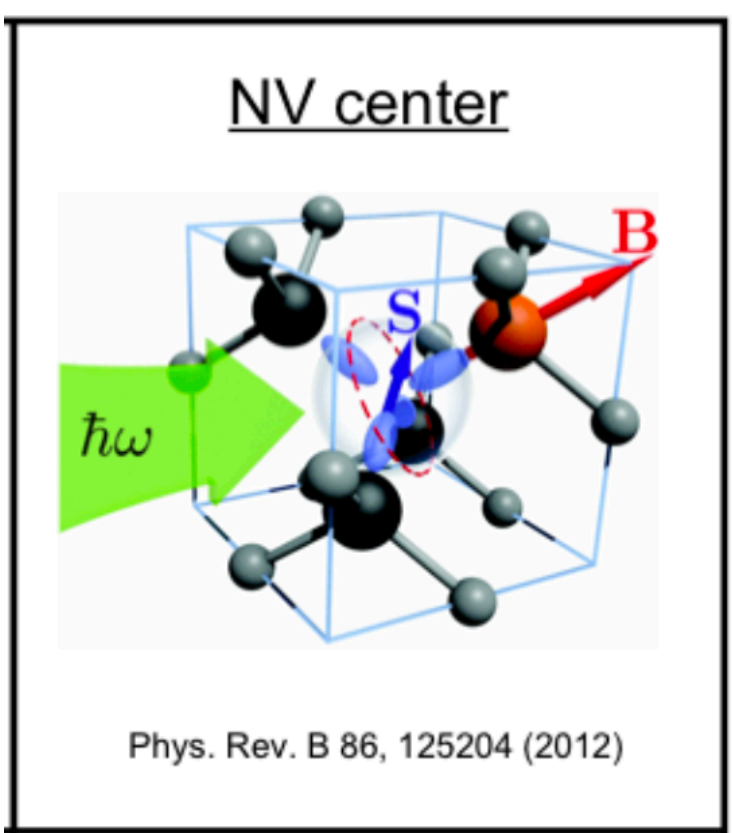
## State change due to DM

### Nitta-san's Talk



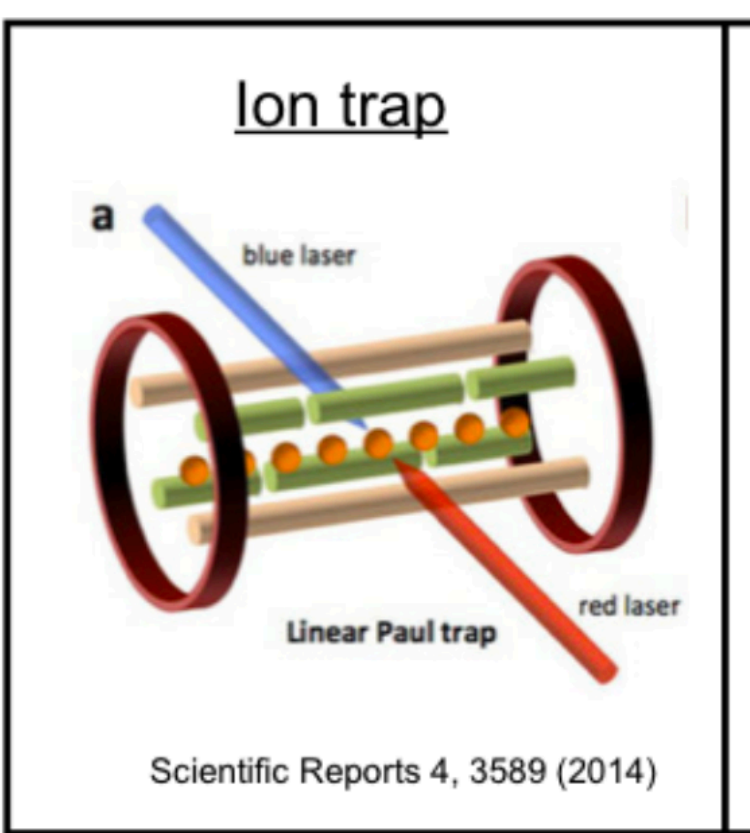
Chen et al., PRL 131 (2023) 21, 211001

### Chigusa-san's Talk



Chigusa, JHEP 03 (2025) 083

### Ito-san's Talk



Ito et al, JHEP 02 (2024) 124

Figs from James Amundson, Elizabeth Sexton-Kennedy, EPJ Web of Conferences 214, 09010 (2019)

# Quantum circuit can help enhance sensitivity

Using quantum circuit, one can enhance and obtain:

- **DM Coupling** (improve scaling with same-order of noises)

S. Chen, H. Fukuda, T. Inada, T. Moroi, T. Nitta, IS, *PRL* 133 (2024) 2, 021801

A. Ito, R. Kitano, W. Nakano, R. Takai, *JHEP* 02 (2024) 124

- **DM Velocity** (outperform classical correlation meas.)

ongoing work with Hajime Fukuda and Yuichiro Matsuzaki

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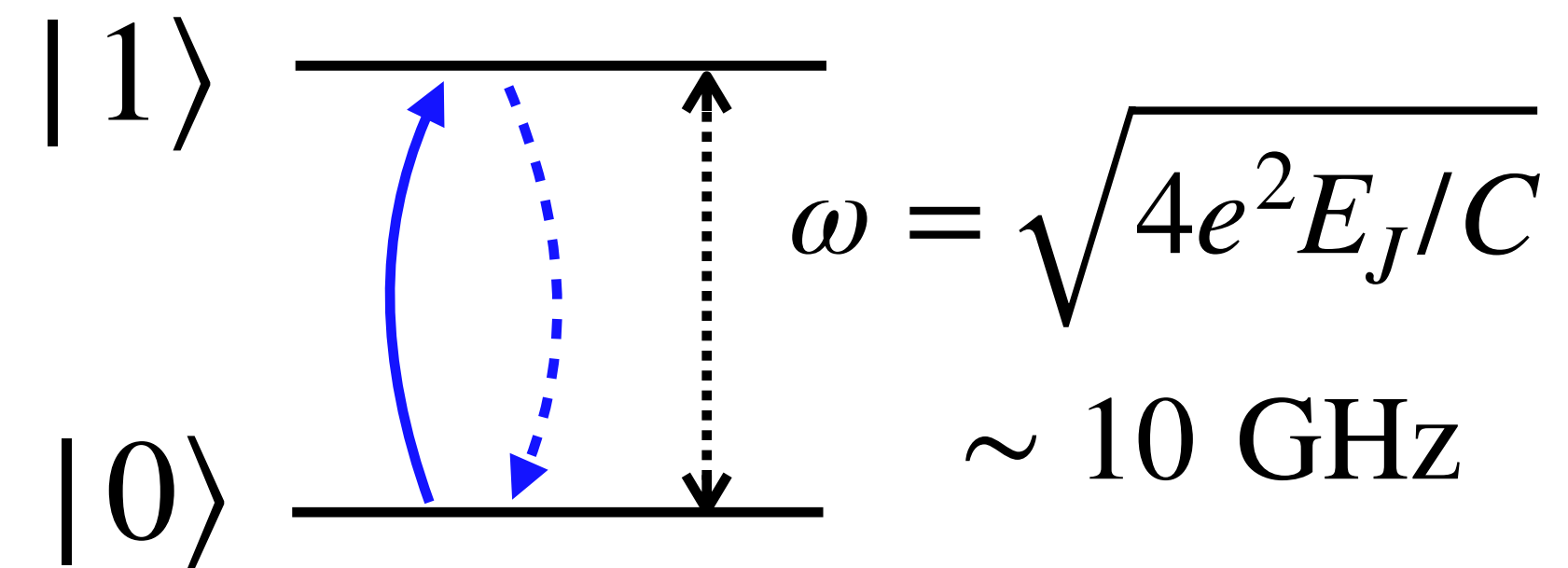
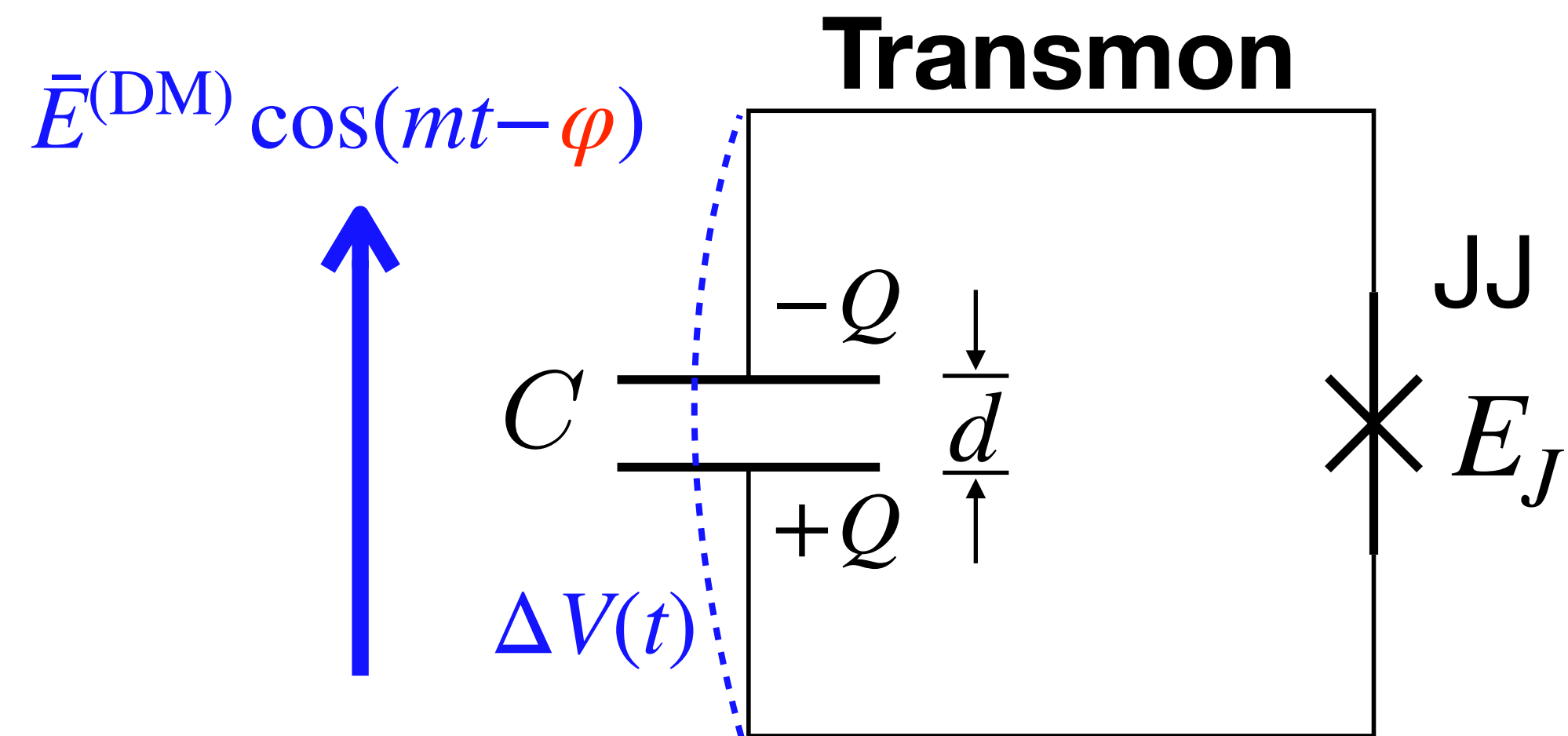
**I will talk about this today!!**

- **DM Velocity** (outperform classical correlation meas.)

ongoing work with Hajime Fukuda and Yuichiro Matsuzaki

# As an example, transmon qubit as DM sensor

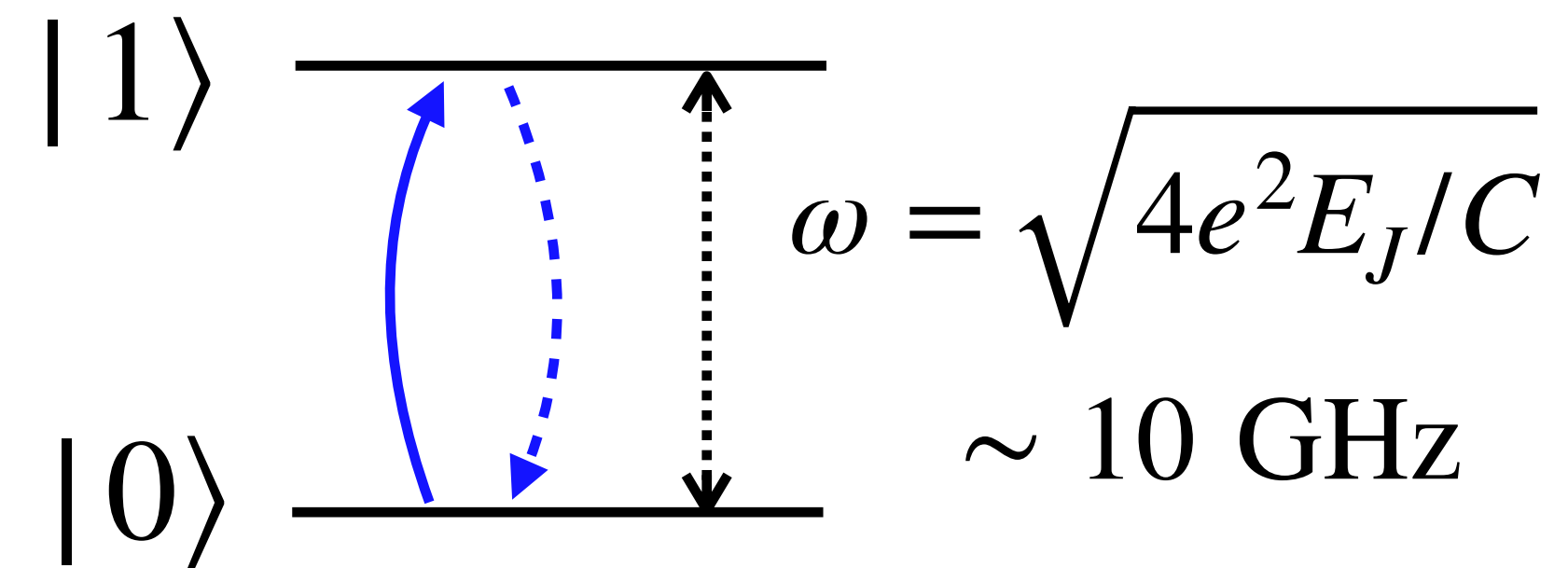
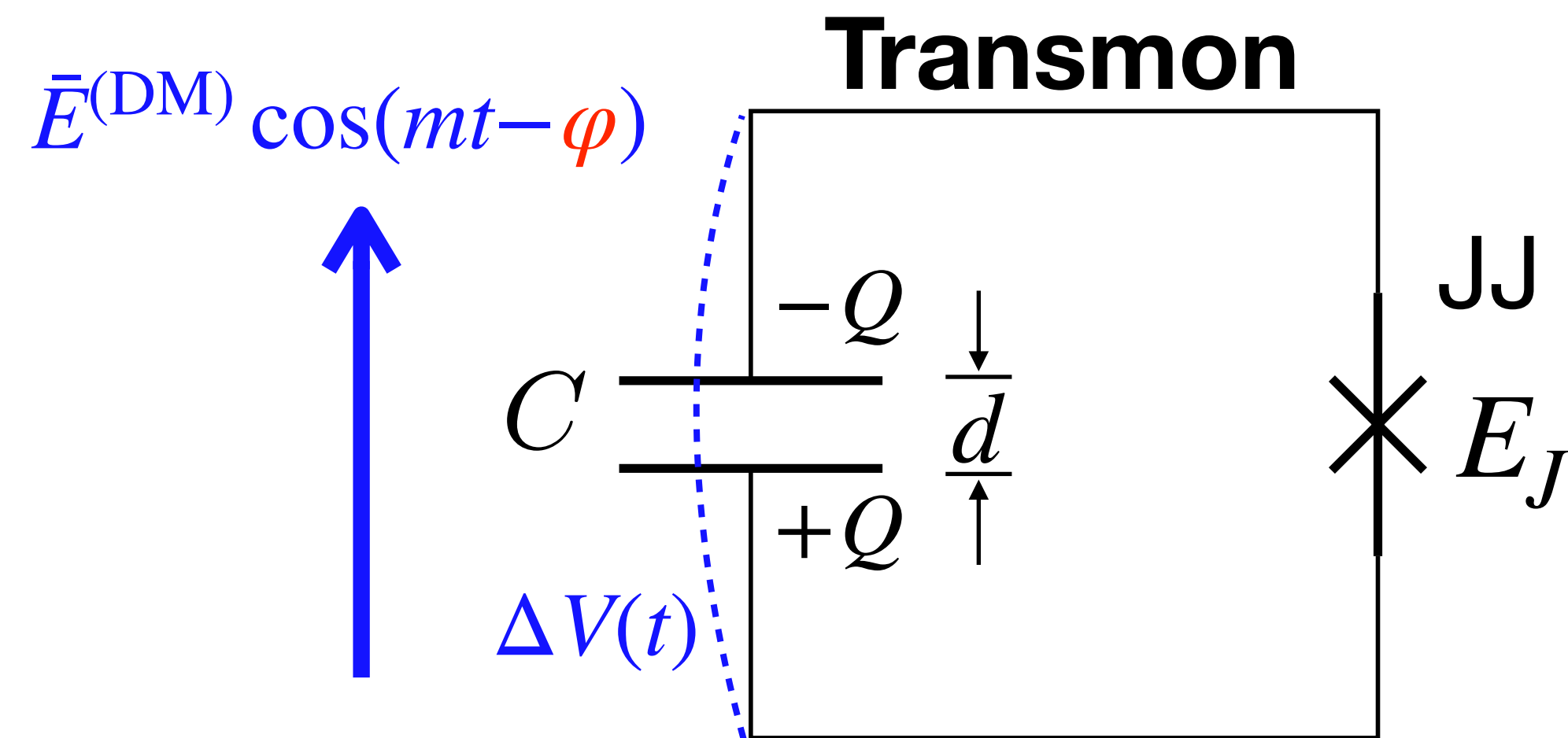
S. Chen, H. Fukuda, T. Inada, T. Moroi, T. Nitta, TS, *PRL* 131 (2023) 21, 211001



Direct excitation due to DM

# As an example, transmon qubit as DM sensor

S. Chen, H. Fukuda, T. Inada, T. Moroi, T. Nitta, [TS](#), *PRL* 131 (2023) 21, 211001



Direct excitation due to DM

$$H = \omega |1\rangle\langle 1| - 2\epsilon \cos(m_{\text{DM}}t - \varphi)(|0\rangle\langle 1| + |1\rangle\langle 0|)$$

with  $\epsilon \equiv \sqrt{\omega C d} \bar{E}^{(\text{DM})} / 2\sqrt{2}$

For resonant condition  $m_{\text{DM}} = \omega$

$$\frac{d}{dt} \begin{pmatrix} \psi_0(t) \\ \psi_1(t) \end{pmatrix} \simeq \begin{pmatrix} 0 & ie^{-i\varphi}\epsilon \\ ie^{i\varphi}\epsilon & 0 \end{pmatrix} \begin{pmatrix} \psi_0(0) \\ \psi_1(0) \end{pmatrix}$$

# Measurement with qubits *Phys. Rev. Lett. 131 (2023) 21, 211001*

Evolution from zero state

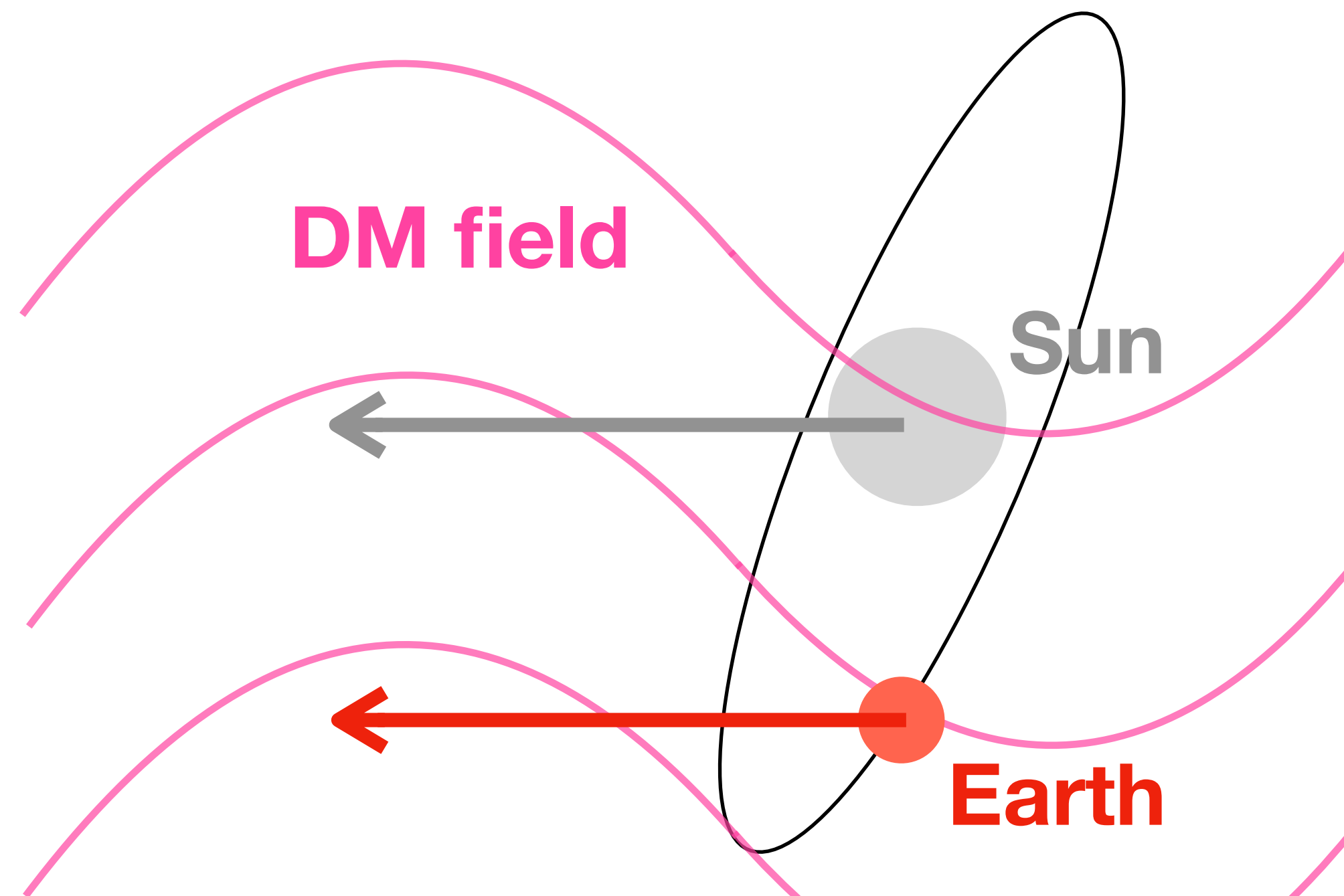
$$|0\rangle \longrightarrow |0\rangle + \overset{\text{Strength}}{\epsilon} \overset{\text{Time}}{\tau} e^{i \overset{\text{DM Phase}}{\varphi}} |1\rangle$$

Propbability to be excited, e.g., transmon case:

$$p_1 = |\langle 1 | \psi \rangle|^2 = (\epsilon \tau)^2 \simeq 0.12 \times \left( \frac{\text{kinetic mixing}}{10^{-11}} \right)^2 \left( \frac{\tau}{100 \mu s} \right)^2 \left( \frac{C}{0.1 \text{ pF}} \right)$$

# Probing DM wind

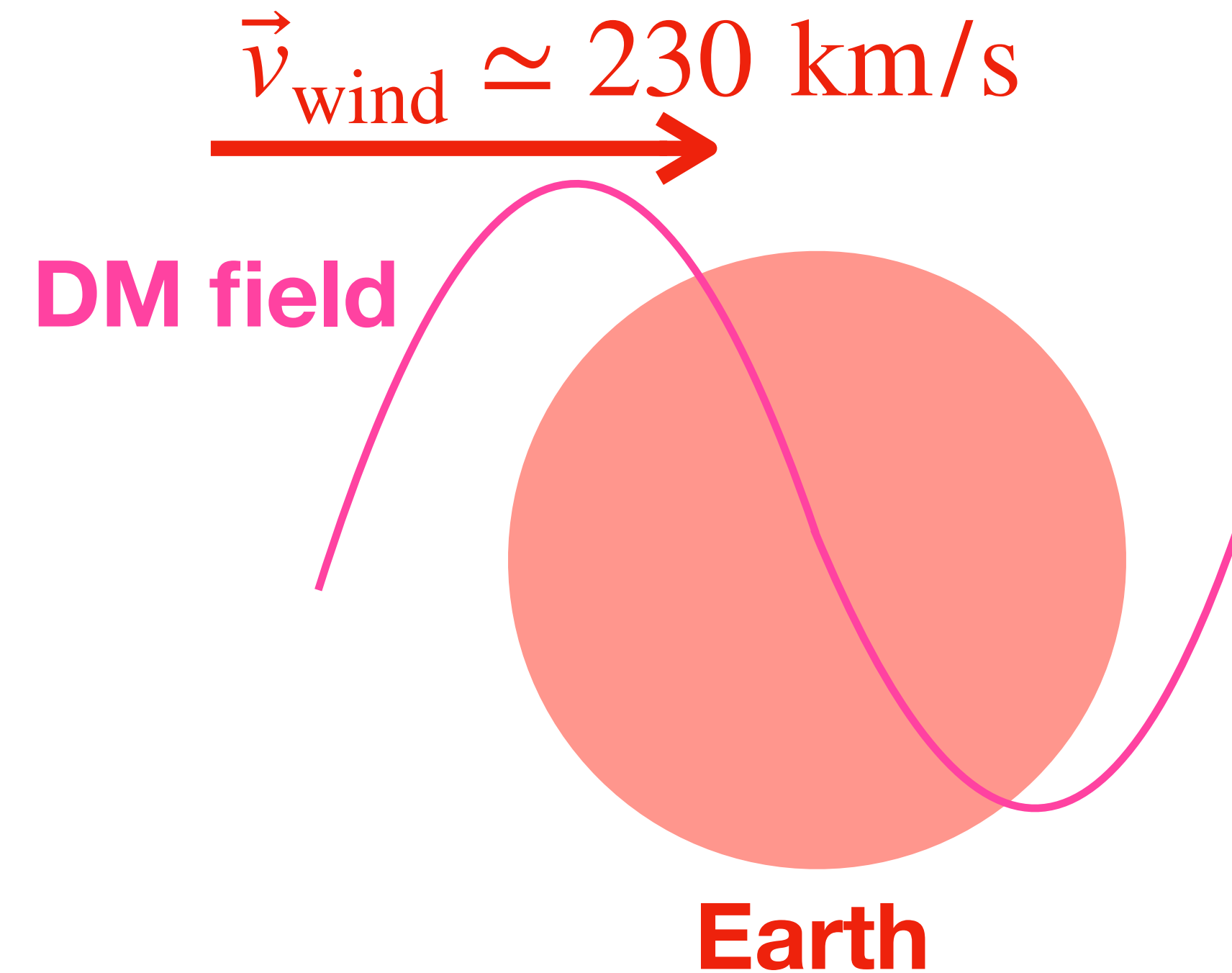
Earth pass through DM flux



$$\vec{v}_{\text{wind}} = \vec{v}_0 + \vec{v}_{\text{Earth}}$$

Solar system velocity

Earth rest frame



Information of  $\vec{v}_{\text{wind}}$  embedded in **qubit phase** and can be probed

# Probing DM wind with 2 qubits

$$\Phi_{\text{DM}}(x, t) \propto \cos(mt - m\vec{v}_{\text{wind}} \cdot \vec{x} + \varphi)$$

$$\vec{v}_{\text{wind}} = \vec{v}_0 + \vec{v}_{\text{Earth}}$$

Dispersion  $v_0$

DM field

Qubit 1: position  $\vec{x}_1$

Qubit 2: position  $\vec{x}_1 + \vec{\Delta r}$

$$|0\rangle \rightarrow |0\rangle + \epsilon\tau e^{i\varphi} |1\rangle$$

$$|0\rangle \rightarrow |0\rangle + \epsilon\tau e^{i\varphi + \underline{im\vec{v}_{\text{wind}} \cdot \vec{\Delta r}}} |1\rangle$$

**Visible for  $mv_0\Delta r \sim 1$**

**suppressed for  $mv_0\Delta r \gg 1$**

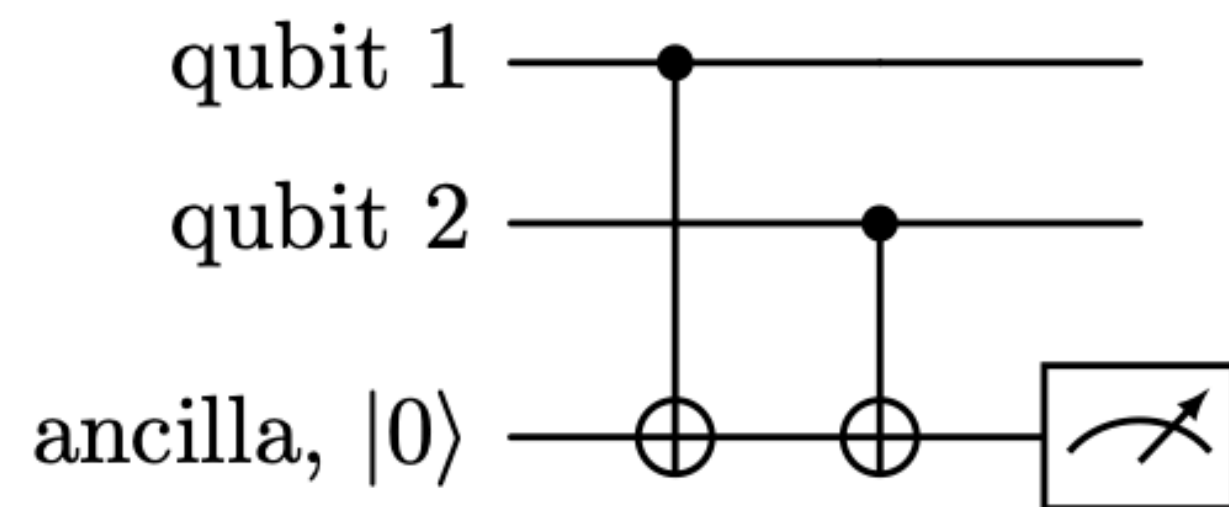
# Extraction of the DM wind

**(1) Teleport state:** distant quantum states -> nearby position for data processing

Length 1-10 km is now already possible with high fidelity 80%

- Entangling NV centers at **1 km** [Hensen, B. J. et al. , Nature 526, 682–686 (2015).]
- Entangling single atoms over **33 km** [van Leent et al., Nature 609, 69 (2022)]

## (2) Post-selection

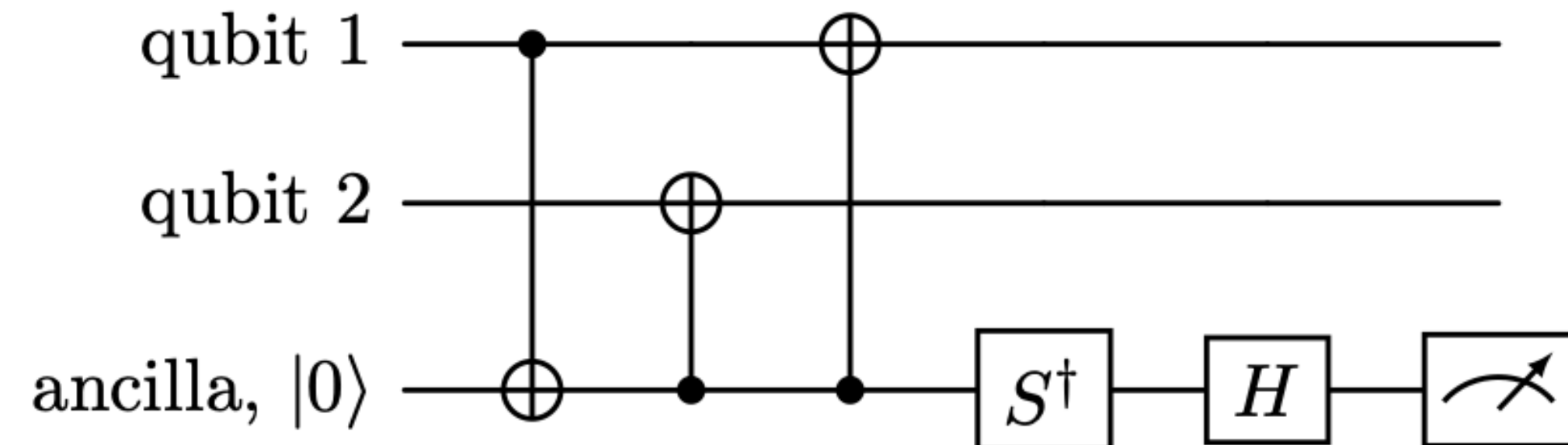


$$P_1 = |10\rangle\langle 10| + |01\rangle\langle 01|$$

First qubit excited

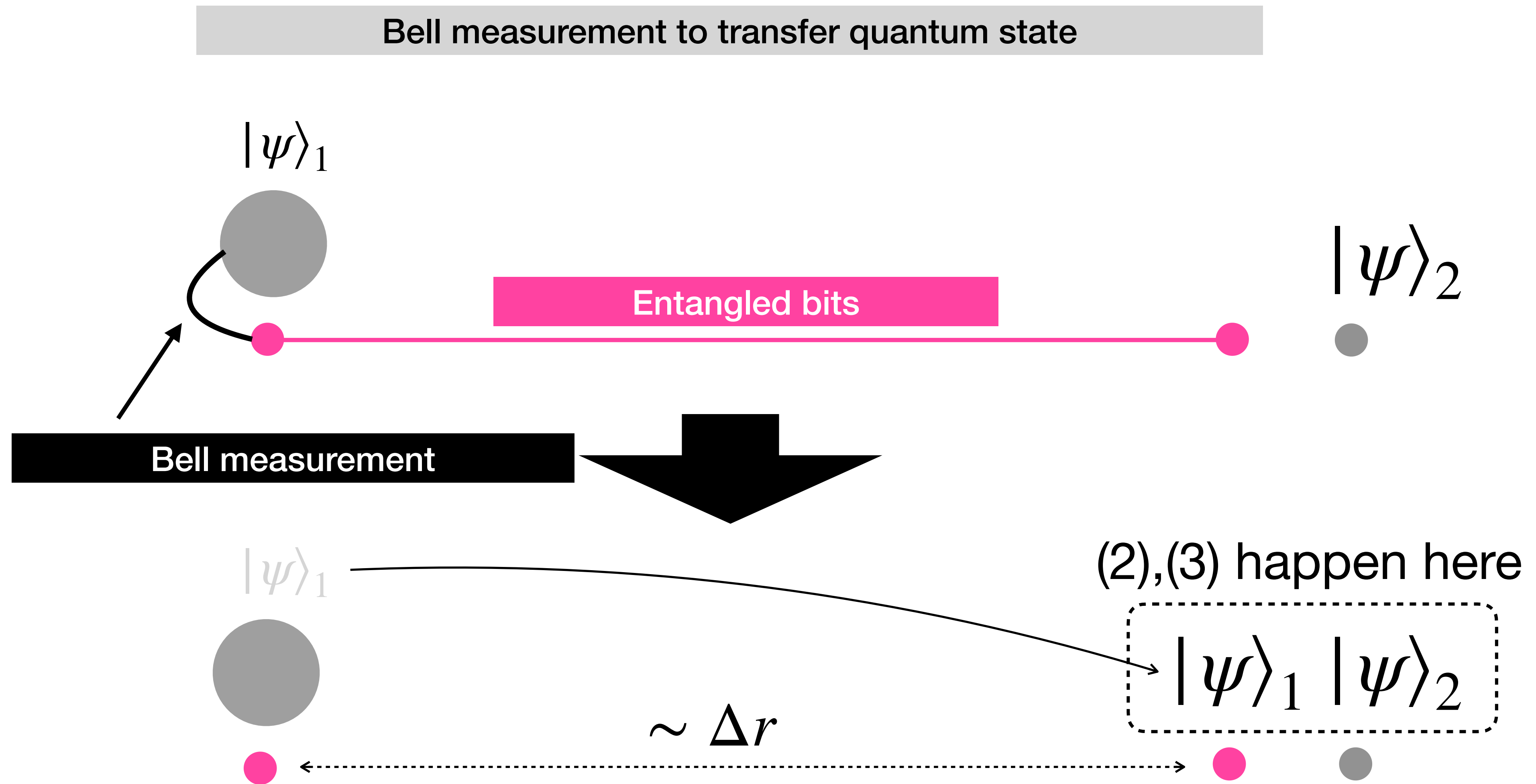
second qubit excited

## (3) Phase extraction circuit



$$M = -i|01\rangle\langle 10| + i|10\rangle\langle 01|$$

# (1) Quantum teleportation



## (2), (3) data processing

Phase shift due to spatial separation

Initial state:  $|\psi\rangle = (|0\rangle + \epsilon\tau e^{i\varphi} |1\rangle) \otimes (|0\rangle + \epsilon\tau e^{i\varphi + im\vec{v} \cdot \vec{\Delta r}} |1\rangle)$

(2) Select events where one qubit is excited  $P_1 = |01\rangle\langle 01| + |10\rangle\langle 10|$

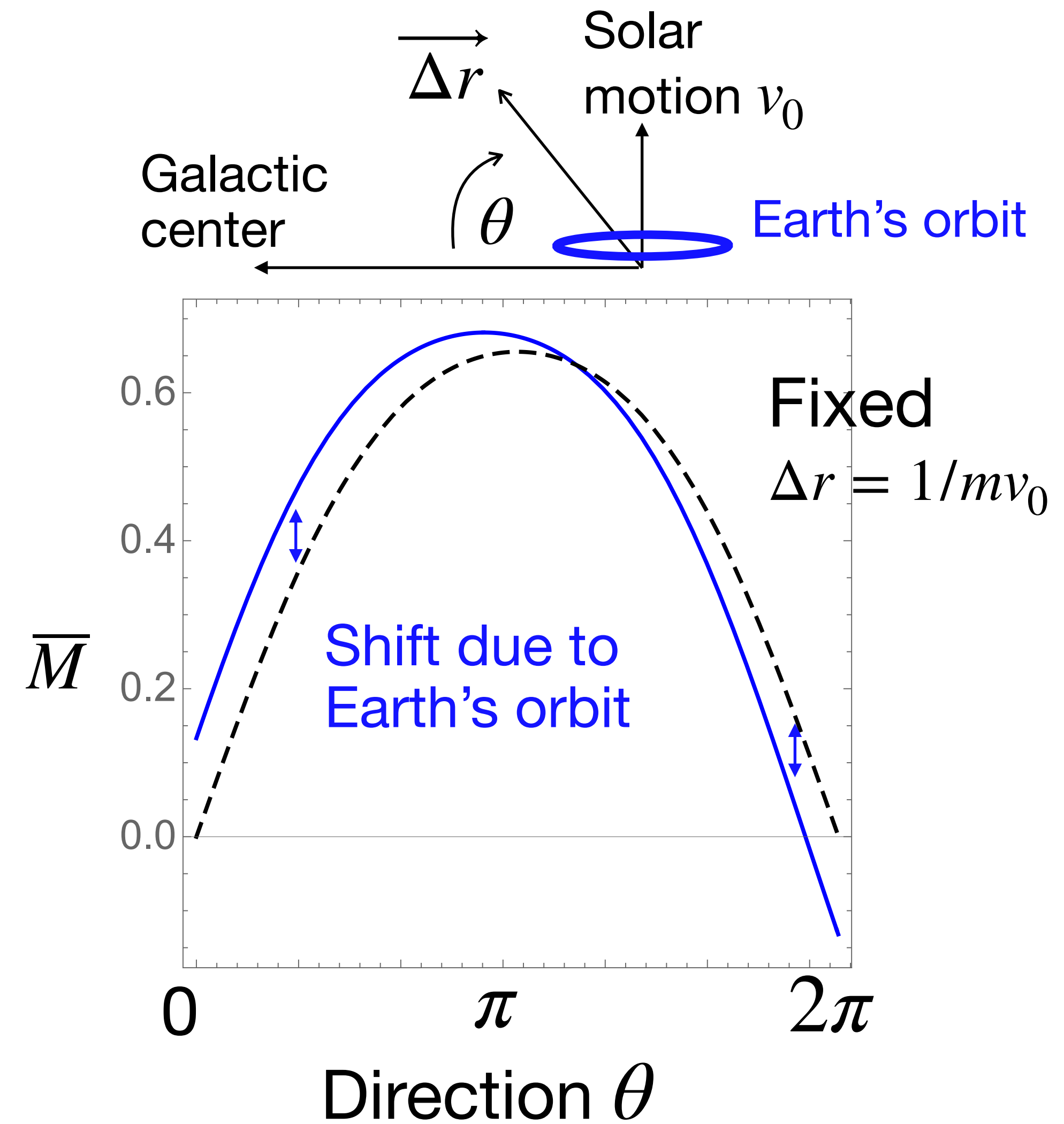
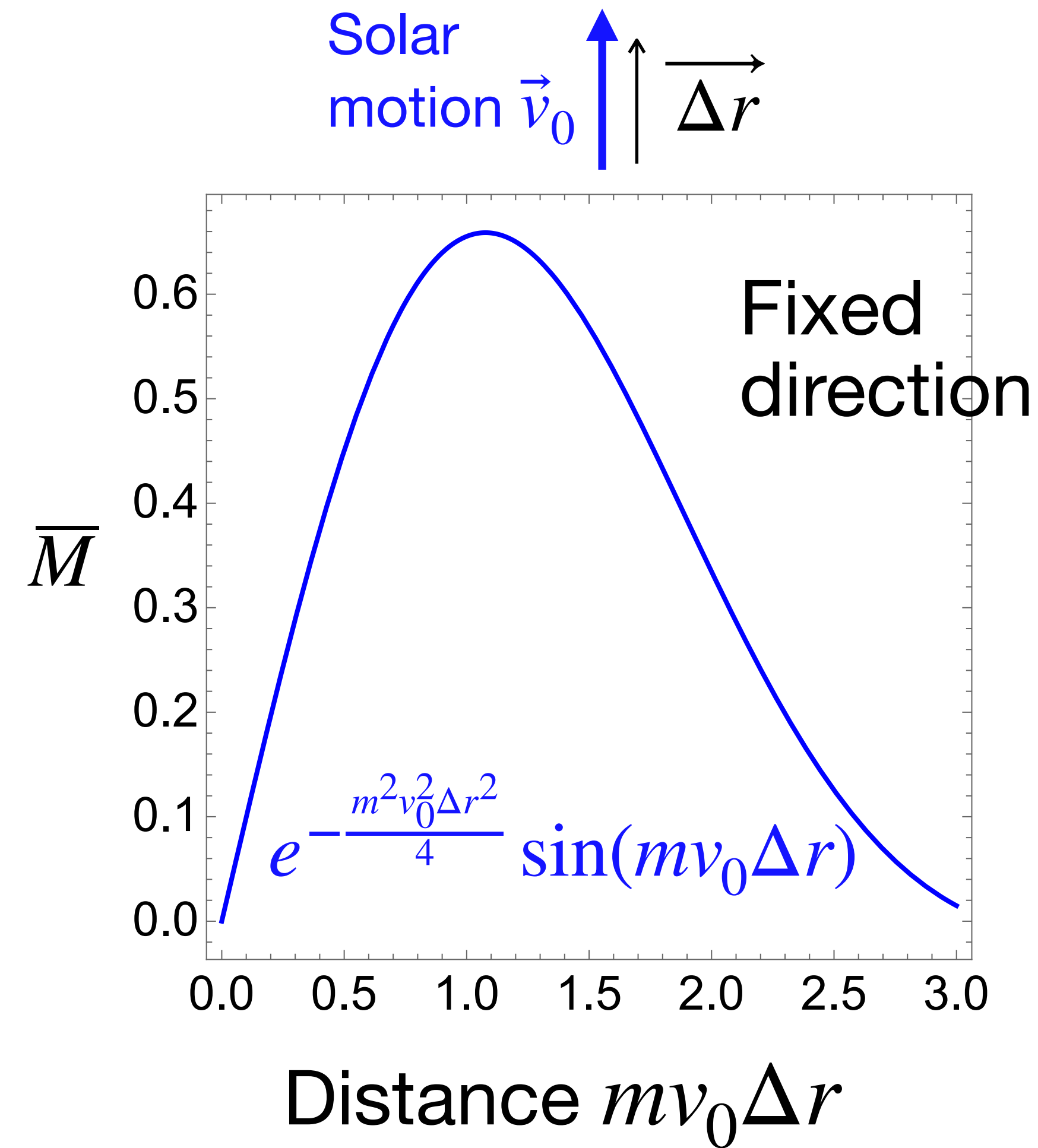
Probability  $p_1 = 2(\epsilon\tau)^2 : |\psi\rangle \rightarrow |10\rangle + e^{im\vec{v} \cdot \vec{\Delta r}} |01\rangle$

(3) Expectation value of  $M = -i|01\rangle\langle 10| + i|10\rangle\langle 01|$

$$\overline{M} = \int \underline{d^3v} \underline{f(\vec{v})} \underline{\sin(m\vec{v} \cdot \vec{\Delta r})} \simeq \underline{e^{-\frac{m^2 v_0^2 \Delta r^2}{4}}} \underline{\sin(m\vec{v}_{\text{wind}} \cdot \vec{\Delta r})}$$

Taking into account velocity dispersion

# Shape of phase shift



# Relation between $\delta M$ and $\delta v_{\text{wind},i}$

Velocity resolution  $\delta v_i \equiv \frac{1}{\sqrt{N}} \frac{\delta M}{|dM/dv_i|}$  with  $\delta M \equiv \sqrt{\langle M^2 \rangle - \langle M \rangle^2}$

Uncertainty of  $M$

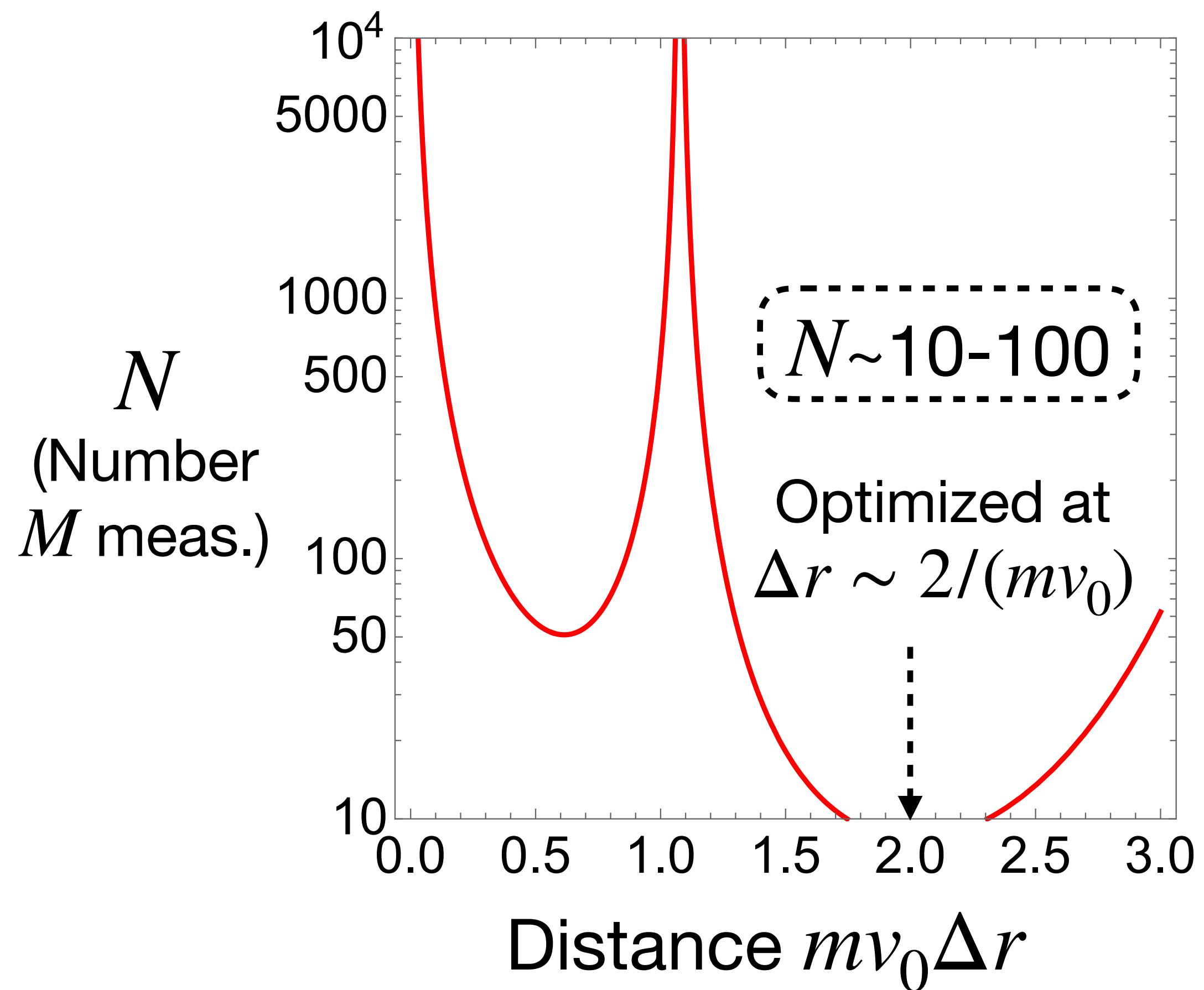
Number of measurements

How sensitive of  $M$  to  $v_i$

The diagram illustrates the components of the velocity resolution equation. The main equation is  $\delta v_i \equiv \frac{1}{\sqrt{N}} \frac{\delta M}{|dM/dv_i|}$ . Three arrows point to specific parts of the equation: one from 'Uncertainty of  $M$ ' to  $\delta M$ , one from 'Number of measurements' to  $\sqrt{N}$ , and one from 'How sensitive of  $M$  to  $v_i$ ' to  $|dM/dv_i|$ . The text 'Velocity resolution  $\delta v_i$ ' is placed to the left of the equation, and 'with  $\delta M \equiv \sqrt{\langle M^2 \rangle - \langle M \rangle^2}$ ' is placed to the right.

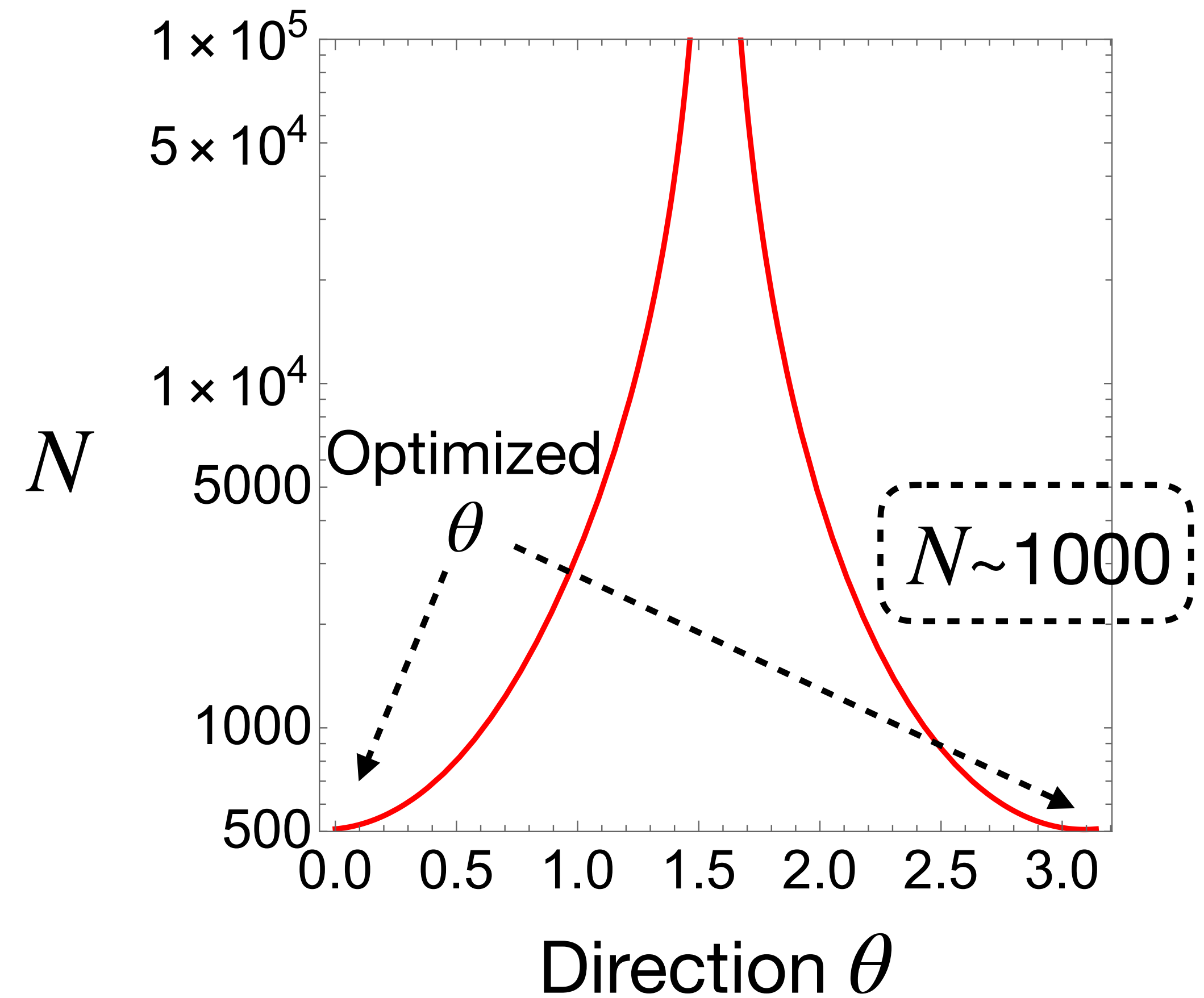
**Probe solar velocity  $v_0$  ( $\overrightarrow{\Delta r} \parallel \overrightarrow{v_0}$ )**

$$\text{SNR} = v_0 / \delta v_0 = 3$$

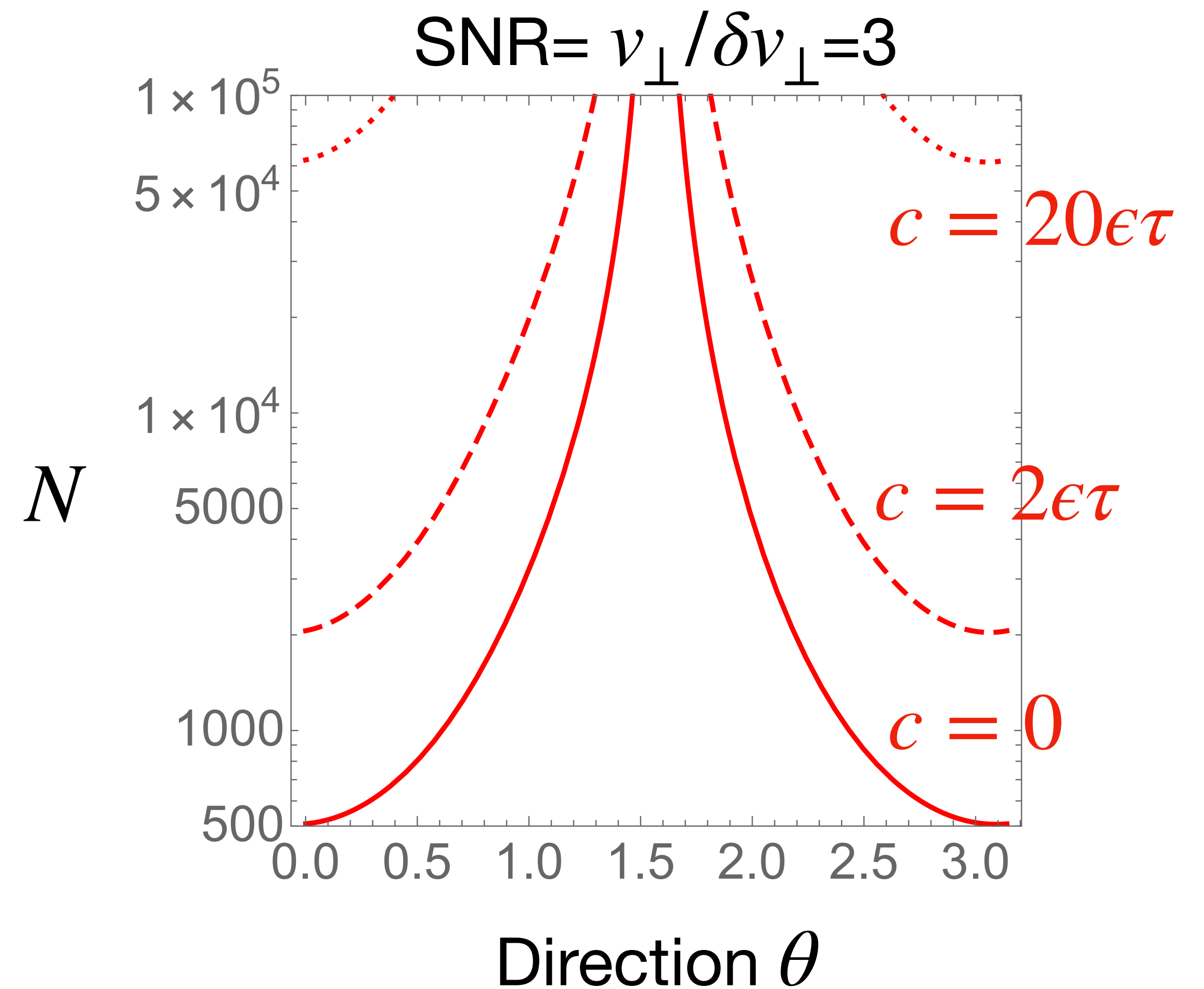
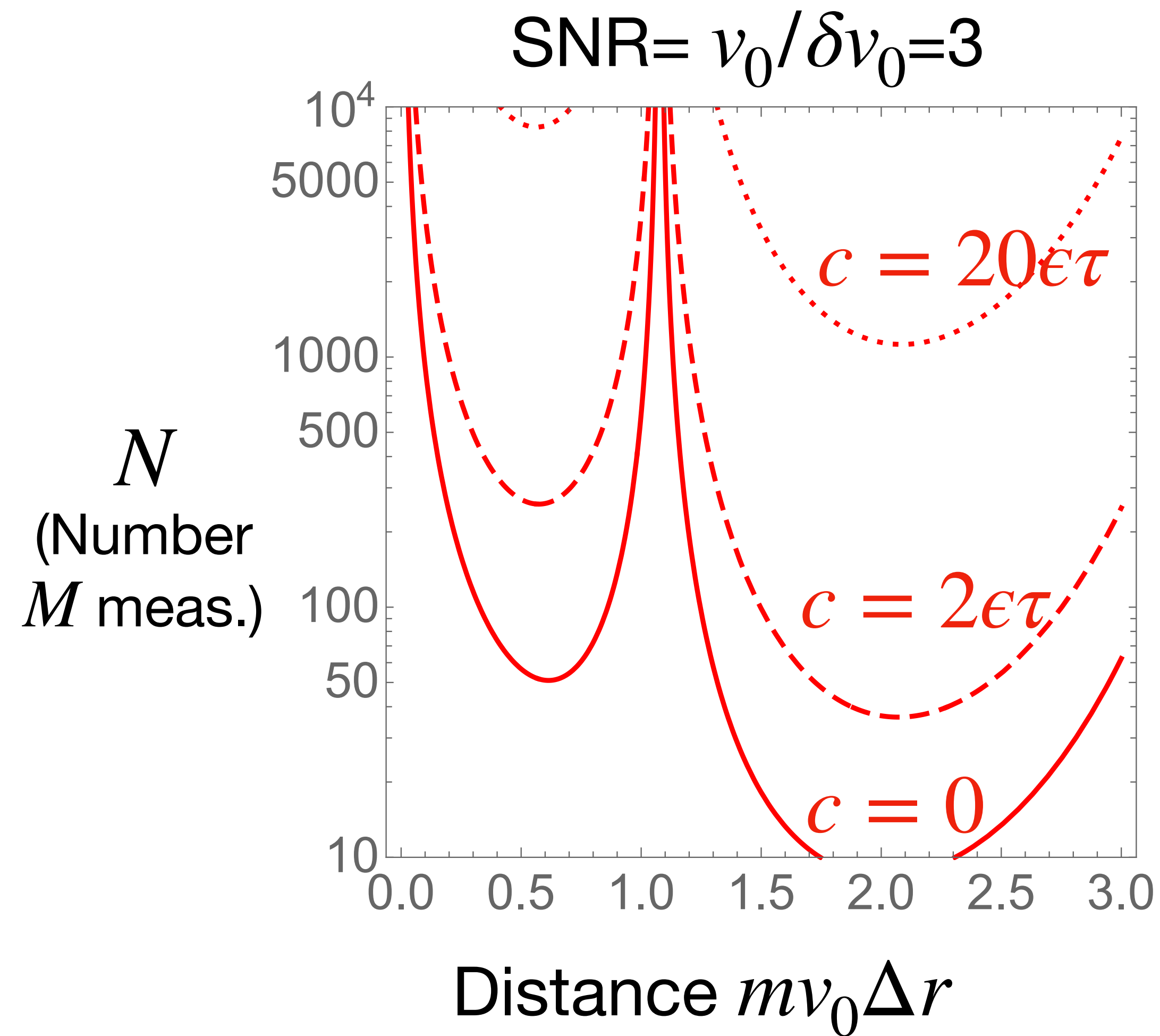


**Probe Earth velocity  $v_\perp$**

$$\text{SNR} = v_\perp / \delta v_\perp = 3$$



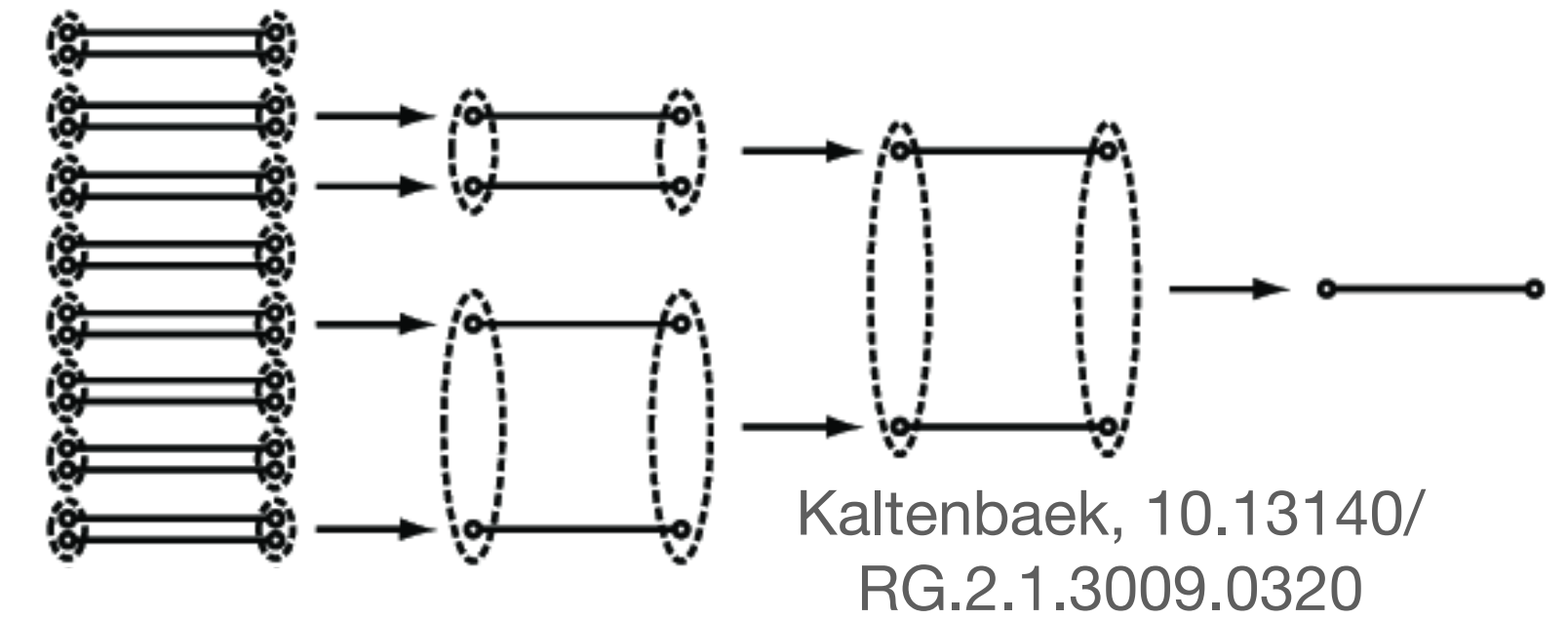
# Add depolarizing noise with rate $c$ during state transfer



# Noise in processes

## 1. State transfer:

Depolarizing noise, but in principle could be solved by entangle purification (overhead clean EPR pair preparation)



R. Reichle et al., Nature 443, 838–841 (2006)  
Azuma et al., Rev. Mod. Phys. 95, 045006 (2023)

## 2. $P_1$ excitation projection:

Readout error & gate error  $\rightarrow$  same order as usual coupling measurement

## 3. $M$ phase measurement

Quantum uncertainty dominates and already taken into account

Note that  $P1$  and  $M$  are very short circuit

**Theoretical comparison to field correlation (assume only quantum noise and  $|\psi_{\text{ini}}\rangle = (|0\rangle + \epsilon\tau e^{i\varphi} |1\rangle) \otimes (|0\rangle + \epsilon\tau e^{i\varphi + im\vec{v} \cdot \vec{\Delta r}} |1\rangle)$  without *P1* for convenience)**

Our method measure entangle operator  $M$  directly

giving  $\delta M = \sqrt{\langle M^2 \rangle - \langle M \rangle^2} \simeq (\epsilon\tau)^2 \ll 1$

Operator  $\langle M \rangle = (\langle \sigma_Y^1 \otimes \sigma_X^2 \rangle - \langle \sigma_X^1 \otimes \sigma_Y^2 \rangle) / 2 = (\epsilon\tau)^2 \sin(mv\Delta r)$

Local meas.

Field correlation  $\langle \sigma_{X,Y}^1 \rangle \otimes \langle \sigma_{Y,X}^2 \rangle \propto \Phi_{\text{DM}}(x_1) \Phi_{\text{DM}}(x_2)$

A. Derevianko, Phys. Rev. A 97, 042506 (2018)

giving larger uncertainty  $\delta(\sigma_X \otimes \sigma_Y) \simeq 1$

**Quantum method outperforms:**  $\frac{N(\text{classic correlation})}{N(\text{entangle measure})} \simeq \frac{1}{(\epsilon\tau)^2} \gg 1$

# Summary

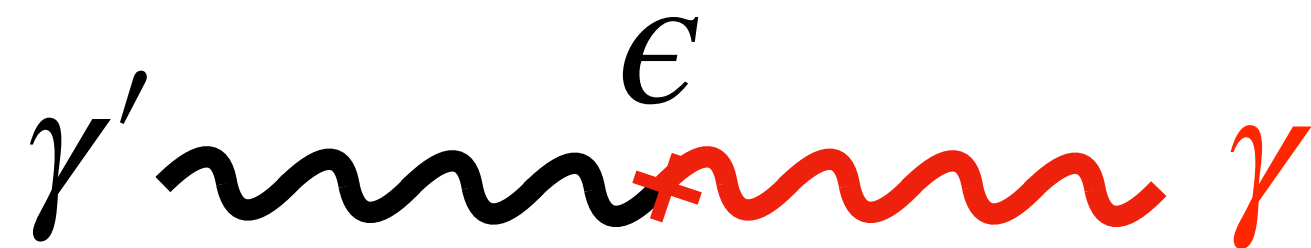
- Entangle measurements with 2 qubits -> in addition to coupling strength, one can extract DM wind.
- The sensitivity is better than classical correlation
- The protocol is general for sensors given that the information can be taken quantum mechanically and quantum communication is provided

# Backup

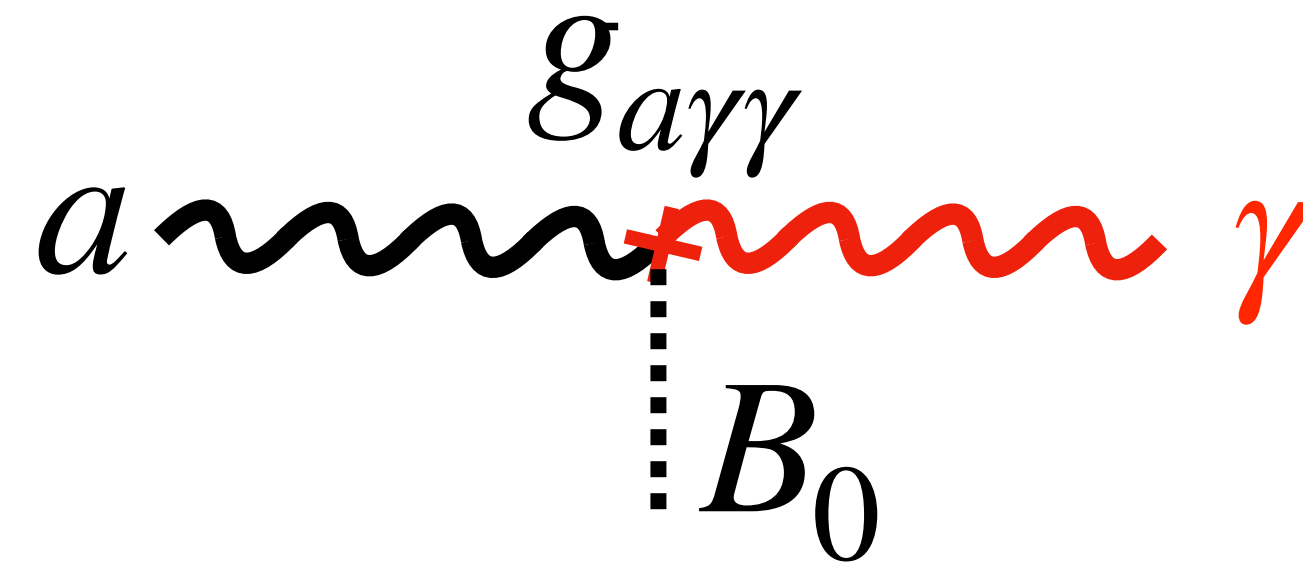
# Wavelike dark matter as target

- For a small mass below 1 eV, the number of particles is enormous, it is described approximately by a classical wave <https://arxiv.org/abs/1711.10489>
- Candidates: dark photon DM, axion DM

$$\text{Hidden photon } \mathcal{L}_{\text{int}} = \epsilon E E'$$



$$\text{Axion } \mathcal{L}_{\text{int}} = g_{a\gamma\gamma} a E B$$

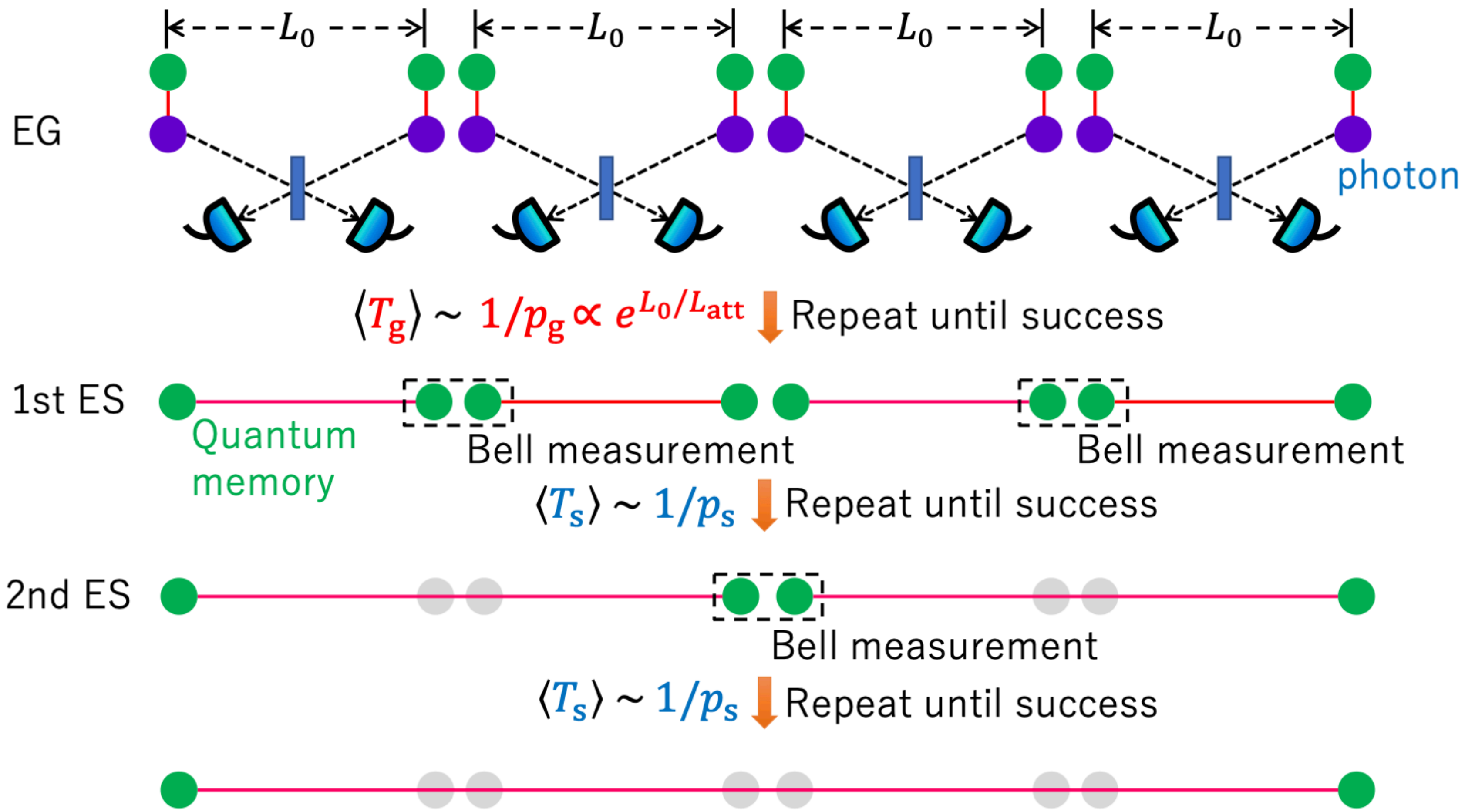


Induced electric field -> measurable by superconducting qubits

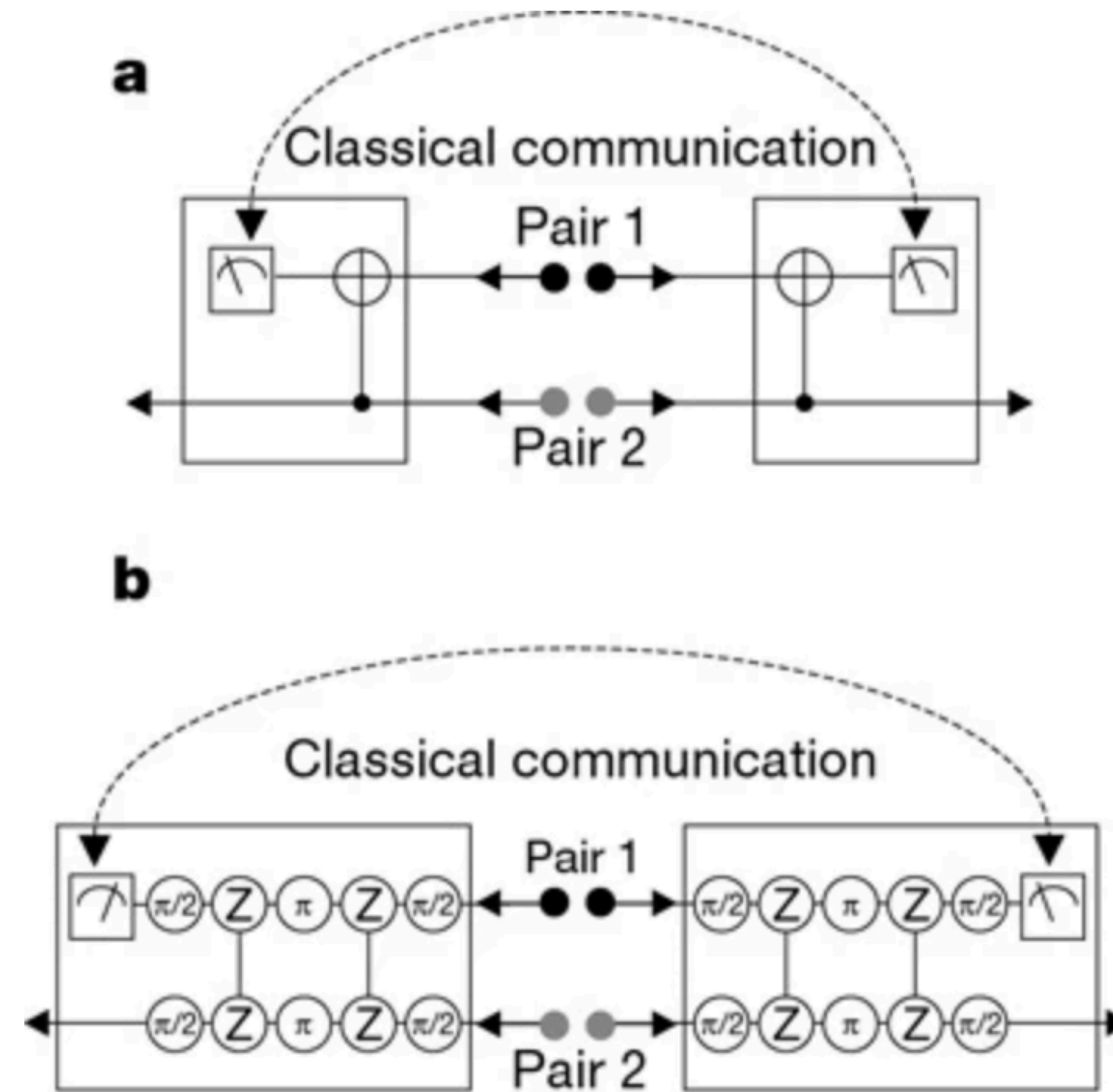
# Other strategies for probing DM wind

- **Spin systems:** unknown coupling is stucked to the velocity -> could check the existence but not for the measurement of the value of the velocity
- **Large size cavity:** Practically challenging for very light DM
- **Field Correlation:** Larger quantum uncertainty

# Entanglement swapping



# Entanglement purification



# Constraints

*Phys. Rev. Lett. 131 (2023) 21, 211001*

Evolution from zero state

$$|0\rangle \longrightarrow |0\rangle + \overset{\text{Strength}}{\epsilon} \overset{\text{Time}}{\tau} e^{i\overset{\text{DM Phase}}{\varphi}} |1\rangle$$

Probability to be excited, e.g., transmon case:

$$p_1 = |\langle 1 | \psi \rangle|^2 = (\epsilon \tau)^2 \simeq 0.12 \times \left( \frac{\text{kinetic mixing}}{10^{-11}} \right)^2 \left( \frac{\tau}{100 \mu s} \right)^2 \left( \frac{C}{0.1 \text{ pF}} \right)$$

$$\text{SNR} = \frac{\epsilon^2 \tau^2}{\sqrt{p_{\text{error}}}} \sqrt{N_{\text{measure}}} \rightarrow \text{Constraint } \epsilon \propto \frac{p_{\text{error}}^{1/4}}{\tau^{1/2} n_{\text{qubit}}^{1/4} T_{\text{total}}^{1/4}} \text{ for fixed scan range and time } T_{\text{total}}$$